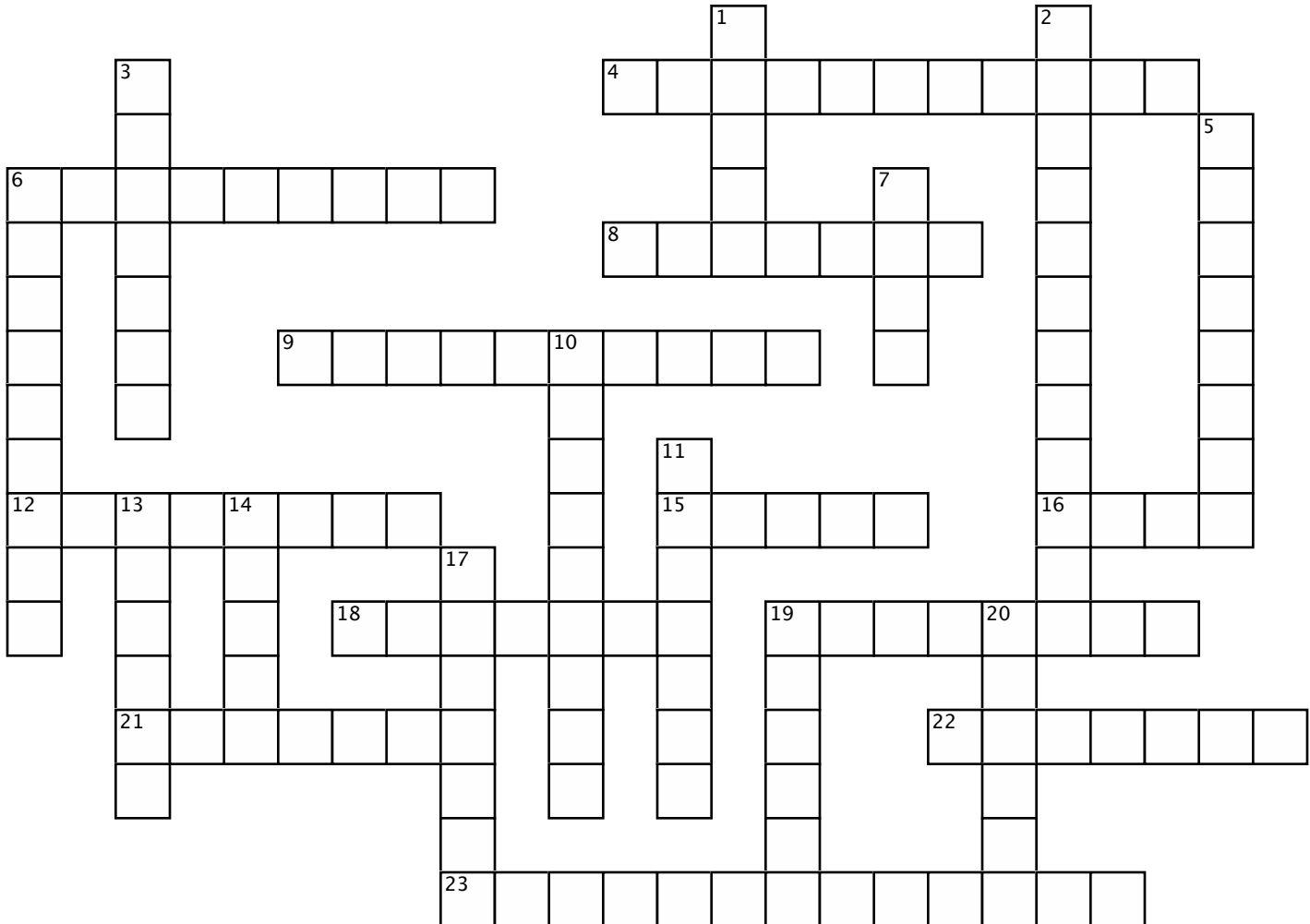


# YMS Ch I I: Inference for Means

## AP Statistics at LSHS

Mr. Molesky



### Across

4. The hypothesis we are gathering evidence for:

\_\_\_\_\_.

6. If  $H_a: \mu \neq k$ , we perform a \_\_\_-\_\_\_ test.

8. If data are the result of a paired experiment/ setting, we can perform a \_\_\_ pairs test on the differences.

9. To estimate a mean or difference of means, we construct a \_\_\_ Interval.

12. t-distributions are more \_\_\_ than normal distributions.

15. The sampling variability of means: Standard \_\_\_ of  $\bar{x}$ .

16. The "claim" we are testing in a hypothesis test is called the \_\_\_ hypothesis.

18. For  $df=25$ , the  $t^*$  for 95% confidence is \_\_\_ than 1.96.

19. Name of the brewery that played a role in the development of t-distributions.

21. If our  $df$  is not on the table, we should use a conservative approach and use the \_\_\_  $df$ .

### Down

1. TI command to perform a hypothesis test for a single mean.

2. To test a claim about a parameter, we perform a test of \_\_\_.

3. t-distributions are \_\_\_ than normal distributions.

5. In a CI, the margin of error is controlled by sample size and \_\_\_ value.

6. TI command to build an interval for a single mean.

7. Another name for a t-score: \_\_\_-statistic

10. Since we don't know sigma for the population, we have to rely on the sample standard \_\_\_.

11. Name of "Student's" famous statistician friend.

13. t-procedures are \_\_\_. That is, they are accurate as long as the sample data is not strongly skewed and doesn't contain outliers.

14. We reject the null if the p-value is less than

\_\_\_\_\_.

17. In a single sample setting,  $(n-1) =$  \_\_\_ of freedom.

**Across**

22. df= degrees of \_\_\_\_.

23. If our p-value is very small, our evidence is \_\_\_\_ significant.

**Down**

19. Real name of "Student"

20. As n gets larger, the t-distributions become approximately \_\_\_\_.